

Plasma Protein Binding: Friend or Foe in Drug Discovery?

Kevin Beaumont and Tristan Maurer

Pharmacokinetics, Dynamics and Metabolism

Pfizer Worldwide Research and Development

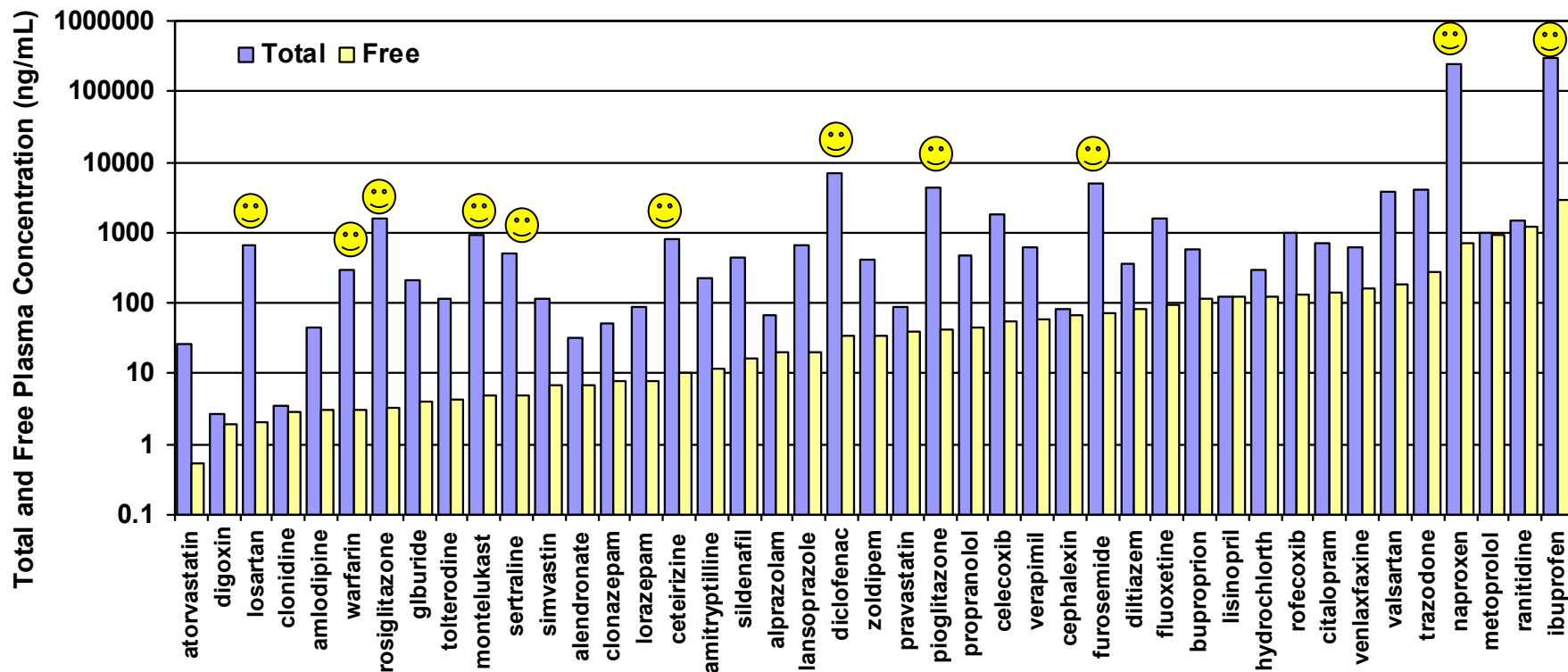
Memorial Drive, Cambridge

Massachusetts USA



WORLDWIDE RESEARCH & DEVELOPMENT

Plasma Protein Binding of Some Top 100 Most Prescribed Drugs



☺ Drugs with 2 log units between total and free plasma concentration, percent bound greater than 98-99.9 %.

If ppb drives dose, why are these compounds successful drugs?



Individual Drugs

- Fluconazole
- $f_u = 0.88$
- Identical free drug concentration (SD or MD)
 - Plasma
 - CSF, Saliva
 - Vaginal secretions
 - Breast milk, sputum
 - Prostatic seminal vesicle fluid

- ▶ Naproxen
- ▶ $f_u = 0.003$
- ▶ Identical free drug concentration (SD or MD)
 - ▶ Plasma
 - ▶ Synovial fluid (deep tissue fluid)

Suggests high plasma protein binding is not a hindrance to distribution or success



Importance of selecting your battles

We have many foes in Drug Discovery

Toxicity

Potency

Selectivity

Intrinsic Clearance

Drug Drug Interactions

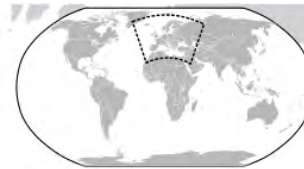
Reactive metabolites

Etc

Why pick a fight with a neutral agent?

Attacking ppb is like invading Switzerland!

No benefit and a whole heap of trouble!



Plasma Protein Binding is a Neutral Parameter

Plasma protein binding is a key parameter to measure

Important to unmask free concentration

Important in PK and dose prediction

Plasma protein binding is **not** a key parameter to modulate

Neutral on free concentration

Neutral on half-life*

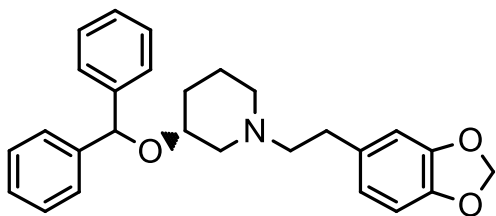
Neutral on dose

Exception is when V_d is fixed to blood volume*



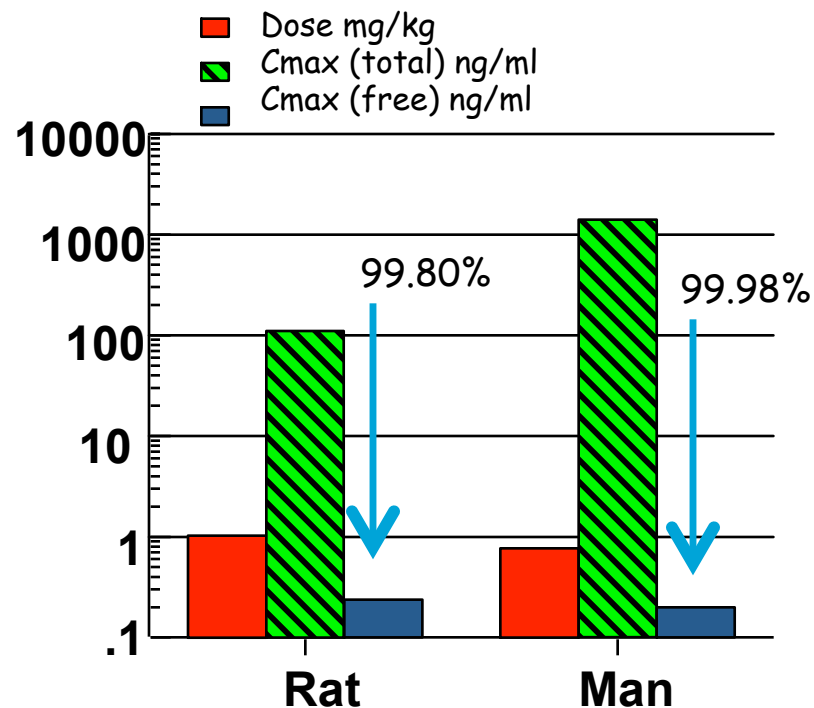
Free drug concentrations and antimuscarinic activity of zamifenacin

Zamifenacin, potent and selective M3 muscarinic antagonist.



Translatable Biomarker

Inhibition of pupillary response to light (rat) or transient blurred vision (man)



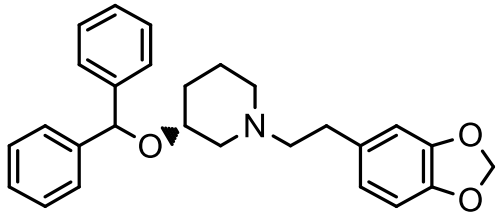
10-fold difference in free fraction,
0.002 and 0.0002 respectively

Highly bound in both species

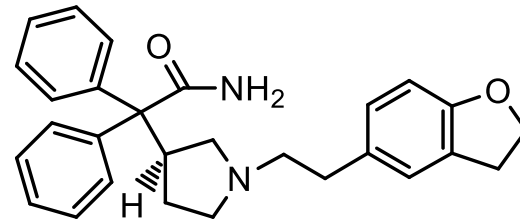
Free concentration driving effect is identical



Comparison of M3 Muscarinic Receptor Antagonists



Zamifenacin



Darifenacin

Compounds	Zamifenacin / Darifenacin
In Vitro K_b (nM)	2 fold
Intrinsic Clearance	Similar
F_u	300 fold (0.06 vs. 0.0002)
Daily Clinical Dose	2 fold

Dose depends on potency and intrinsic clearance, but not PPB



Dose - Steady State Equation

$$\frac{\text{Dose}}{\tau} = \frac{C_{ss, avg} \cdot CL}{F}$$

Objective Potency Clearance

Absorption + CL

Wagner, *Nature* (1965)



Determinants of Dose

$$\frac{\text{Dose}}{\tau} = \frac{\overset{\text{Objective}}{\underbrace{C}_{ss, avg}} \cdot \overset{\text{Potency}}{\underbrace{CL}}}{\underbrace{F}_{\text{Absorption} + CL}}$$

Wagner, *Nature* (1965)

Determinants of Dose - Oral drugs, hepatically cleared

$$\frac{\text{Dose}}{\tau} = \frac{\overset{\text{Objective}}{\underbrace{C_{ss, avg}}^{\text{Potency}}} \cdot \overset{\text{Clearance}}{\underbrace{CL}}}{\underbrace{F}_{\text{Absorption} + CL}} \quad \text{Wagner, } \textit{Nature} \text{ (1965)}$$

For hepatically cleared drugs dosed orally

$$CL = \frac{Q_h \cdot (f_u \cdot CL_{int})}{Q_h + (f_u \cdot CL_{int})} \quad \text{Pang, } \textit{J Pharmacokin Biopharm} \text{ (1973)}$$

$$F = f_a \cdot \left(1 - \frac{CL}{Q_h} \right)$$

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$$F = f_a \cdot \left(1 - \frac{CL}{Q_h} \right)$$

Substitute terms to reveal protein binding influence

$$\text{Dose} = \frac{\left(\frac{C_{ss, u}}{f_u} \right) \cdot \left(\frac{Q_h \cdot f_u \cdot CL_{int}}{Q_h + (f_u \cdot CL_{int})} \right) \cdot \tau}{f_a \cdot \left(1 - \frac{\left[\frac{Q_h \cdot f_u \cdot CL_{int}}{Q_h + (f_u \cdot CL_{int})} \right]}{Q_h} \right)}$$

Substitute and simplify

Cancel f_u and Q_h terms

$$\text{Dose} = \frac{(C_{ss, u}) \cdot \left(\frac{Q_h \cdot CL_{int}}{Q_h + (f_u \cdot CL_{int})} \right) \cdot \tau}{f_a \cdot \left(1 - \left[\frac{f_u \cdot CL_{int}}{Q_h + (f_u \cdot CL_{int})} \right] \right)}$$

Simplify denominator

$$\text{Dose} = \frac{(C_{ss, u}) \cdot \left(\frac{Q_h \cdot CL_{int}}{Q_h + (f_u \cdot CL_{int})} \right) \cdot \tau}{f_a \cdot \frac{Q_h + (f_u \cdot CL_{int}) - f_u \cdot CL_{int}}{Q_h + (f_u \cdot CL_{int})}}$$

Consolidate numerator and denominator

$$\text{Dose} = (C_{ss, u}) \cdot \left(\frac{Q_h \cdot CL_{int}}{Q_h + (f_u \cdot CL_{int})} \right) \cdot \tau \cdot \frac{Q_h + (f_u \cdot CL_{int})}{f_a \cdot Q_h + (f_u \cdot CL_{int}) - f_u \cdot CL_{int}}$$

simplify

$$\text{Dose} = \left(\frac{C_{ss, u} \cdot CL_{int} \cdot \tau}{f_a} \right) \quad \text{"the chemists most important pharmacokinetic equation"}$$

No requirement for f_u

Determinants of Dose - Oral drugs, hepatically cleared

$$\frac{\text{Objective Dose}}{\tau} = \frac{\text{Potency } C_{ss, avg} \cdot \text{Clearance } CL}{\text{Absorption + CL } F}$$

Wagner, *Nature* (1965)

For hepatically cleared drugs dosed orally

$$CL = \frac{Q_h \cdot (f_u \cdot CL_{int})}{Q_h + (f_u \cdot CL_{int})}$$

Pang, *J Pharmacokin Biopharm* (1973)

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Substitute and simplify

Cancel f_u and Q_h terms

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Simplify denominator

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Consolidate numerator and denominator

$$\text{Dose} = (C_{ss, u}) \cdot \left(\frac{Q_h \cdot CL_{int}}{Q_h + (f_u \cdot CL_{int})}\right) \cdot \tau \cdot \frac{Q_h + (f_u \cdot CL_{int})}{f_a \cdot Q_h + (f_u \cdot CL_{int}) - f_u \cdot CL_{int}}$$

simplify

$$\text{Dose} = \left(\frac{C_{ss, u} \cdot CL_{int} \cdot \tau}{f_a}\right)$$

“the chemists most important pharmacokinetic equation”

No requirement for f_u

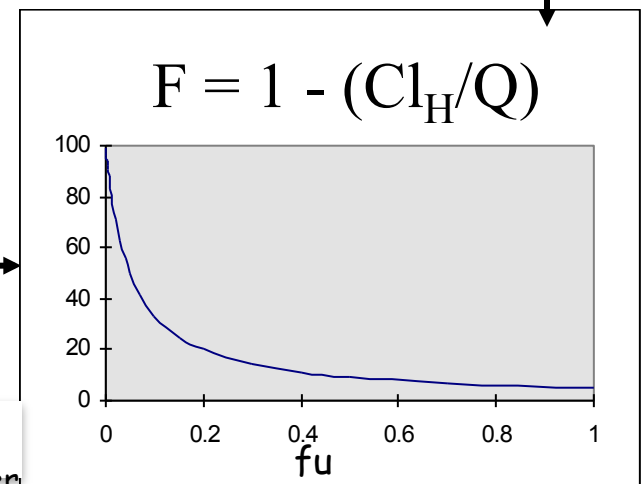
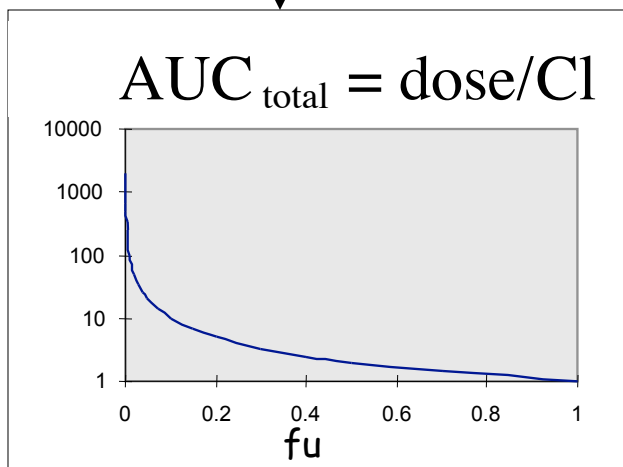
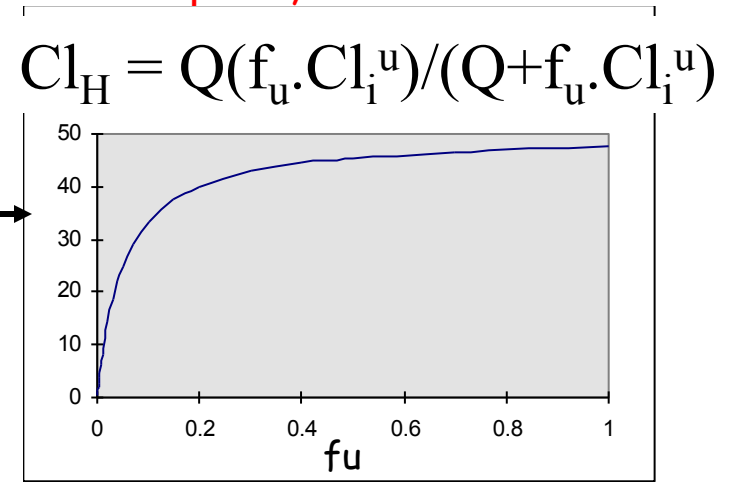
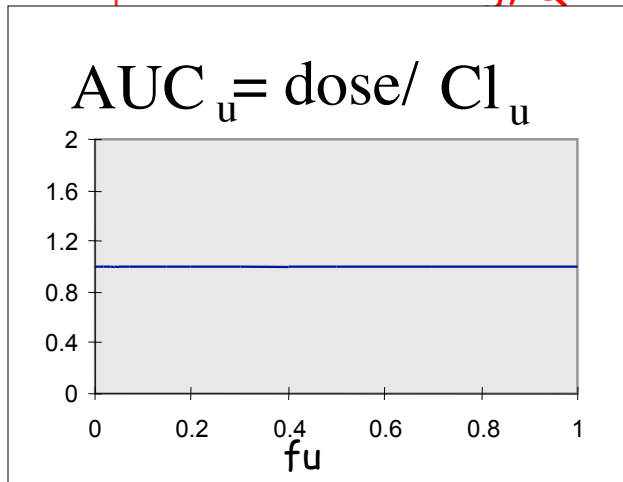
“The only determinants of unbound steady state exposure are intrinsic clearance and dose” - Harold Boxenbaum

“Plasma protein binding alone cannot be regarded as either a positive or negative aspect of a compound” - van de Waterbeemd, *J Med Chem* (2001)



Thought Experiment 1 - Modulate Fraction Unbound, Maintain Dose and Intrinsic Clearance (unbound)

$Cl_i^u = 1000 \text{ mL/min/kg}$, $Q = 50 \text{ mL/min/kg}$, Complete absorption, Fixed dose



Math courtesy of Don Walker

It is tough to modulate fraction unbound - IPRL

Isolated perfused rat liver model: modulate ppb with amount of BSA in perfusate

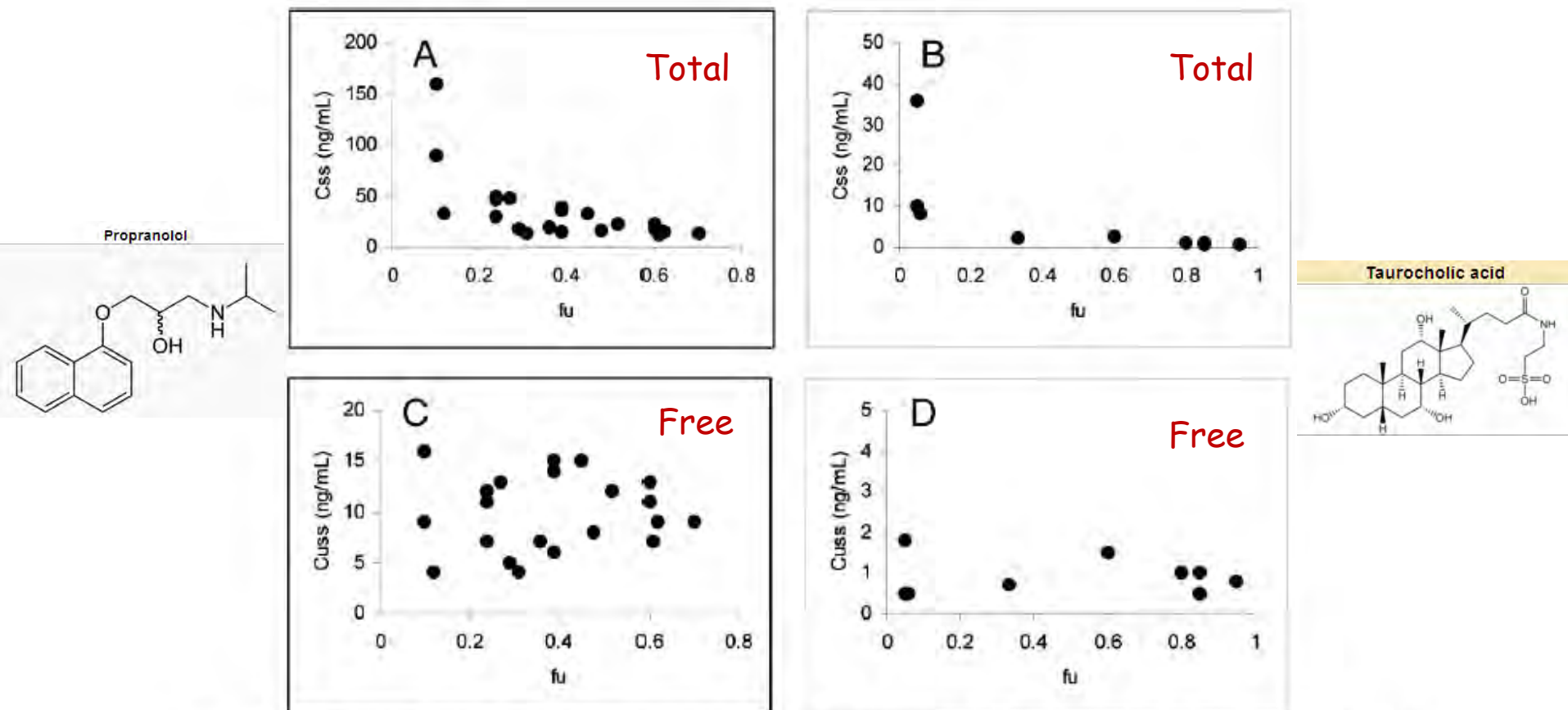


Fig. (3). Effect of protein binding on the steady state total (A and B) and unbound (C and D) concentration of propranolol (A and C) and taurocholate (B and D) in isolated perfused rat liver model. An increase of f_u leads to a reduction of total concentration but no change for the unbound concentration. Data for propranolol and taurocholate were from Jones *et al.* and Smallwood *et al.*, respectively [30, 31].



In vivo: C_{tot} decreases with increase in f_u but C_{free} does not change

WORLDWIDE RESEARCH & DEVELOPMENT
Pharmacokinetics, Dynamics & Metabolism - NCE

It is tough to modulate fraction unbound - NAR Rats

Nagase analbuminemia rats (NAR): mutant strain from wild type Sprague-Dawley rats (less albumin)

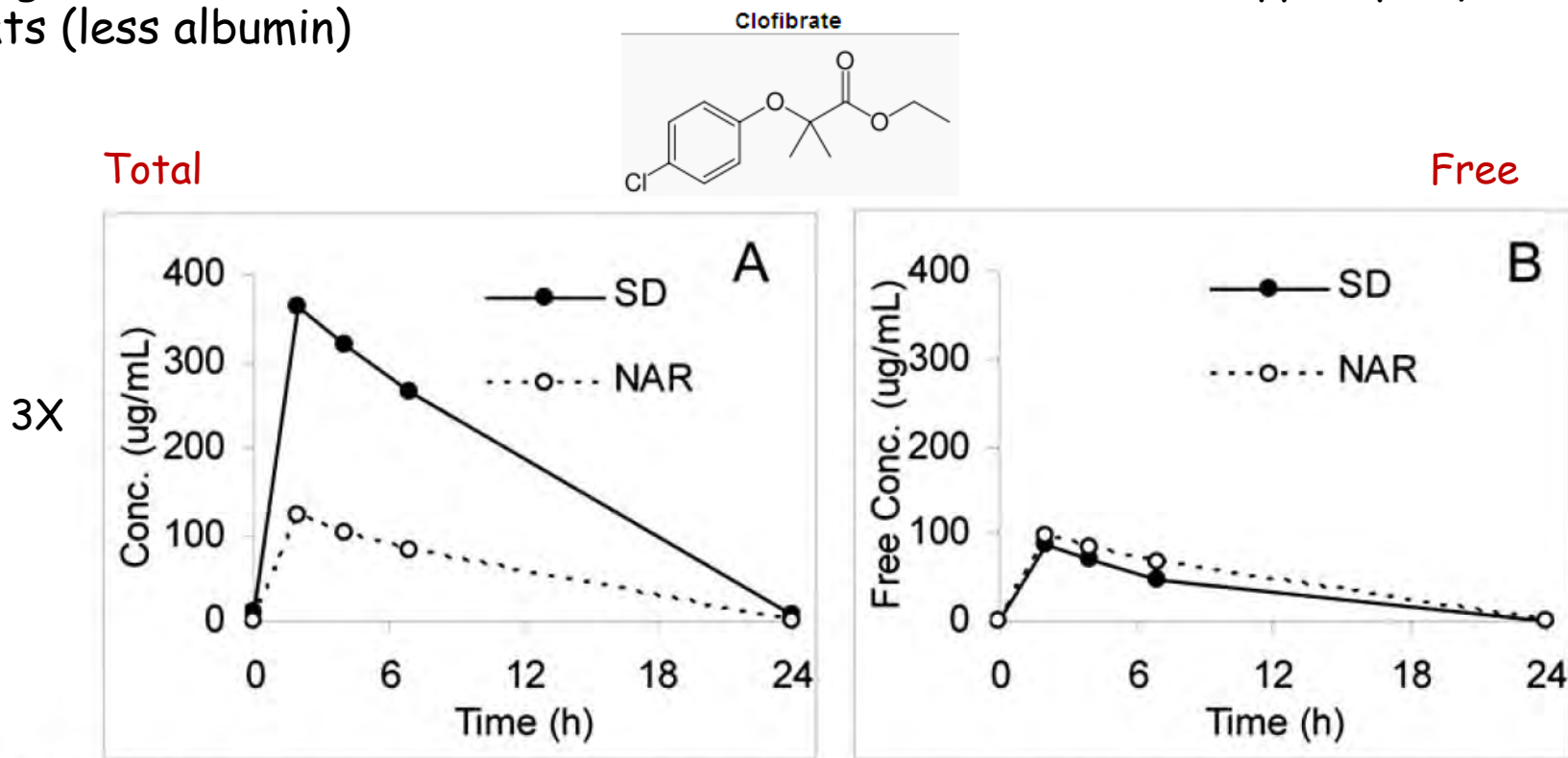


Fig. (4). Effect of protein binding on the total (A) and unbound (B) plasma concentration of clofibrate in Sprague-Dawley (SD, solid lines) and Nagase analbuminemia (NAR, dashed lines) rats after 4-day repeated daily oral dose of clofibrate 200 mg/kg. Total concentrations in analbuminemia rats (low plasma protein binding or high unbound fraction) were approximately 3-fold of the normal rats (high protein binding or low unbound fraction) but the unbound concentrations were similar between the two strains of rats. Data are from Miida *et al.* [34].

Decrease in f_u does not change the $Conc_u$ ONLY the $Conc_{tot}$



Modulating Dose

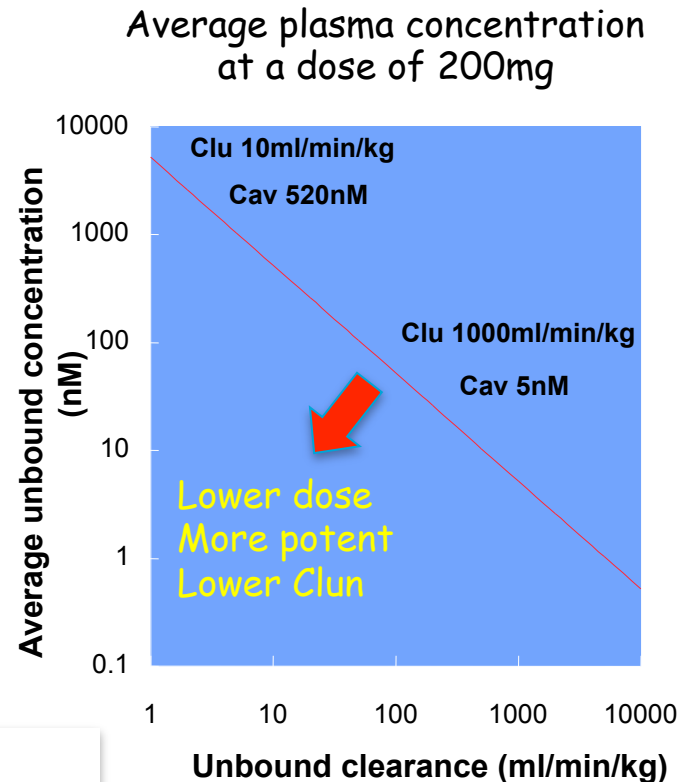
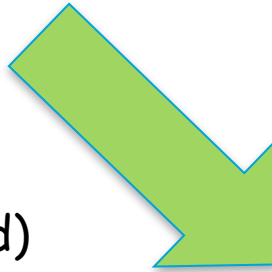
- Unbound Clearance and Potency (unbound concentration)

$$\text{Dose} = \frac{C_{ss, avg} \cdot CL \cdot \tau}{F}$$

τ is dose interval

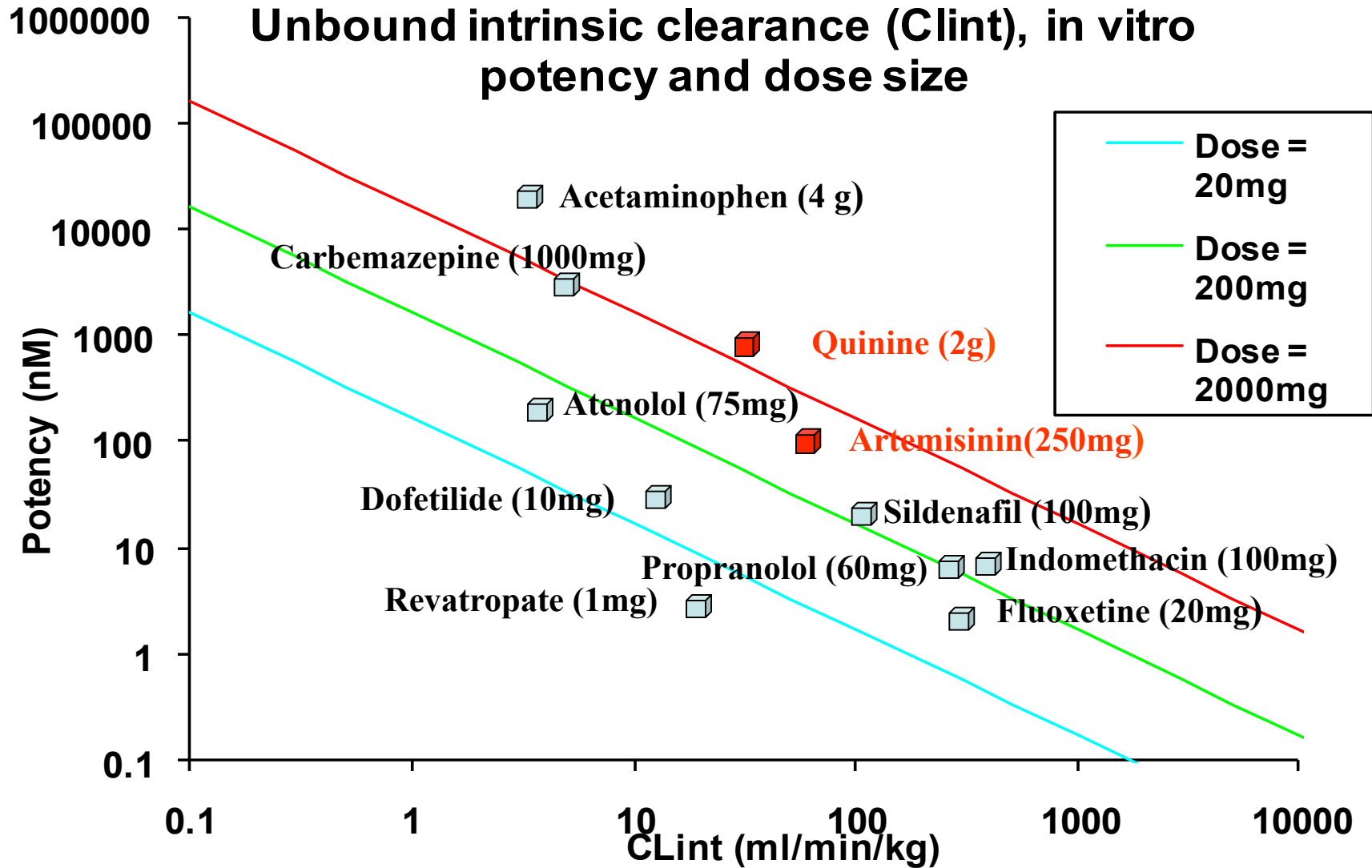
C_{ss} is steady state C_{av} (unbound)
Related to potency

Cl is the clearance of the compound
(unbound)
Related to metabolism/excretion rate



Modulating Dose

- Dose calculation for marketed drugs



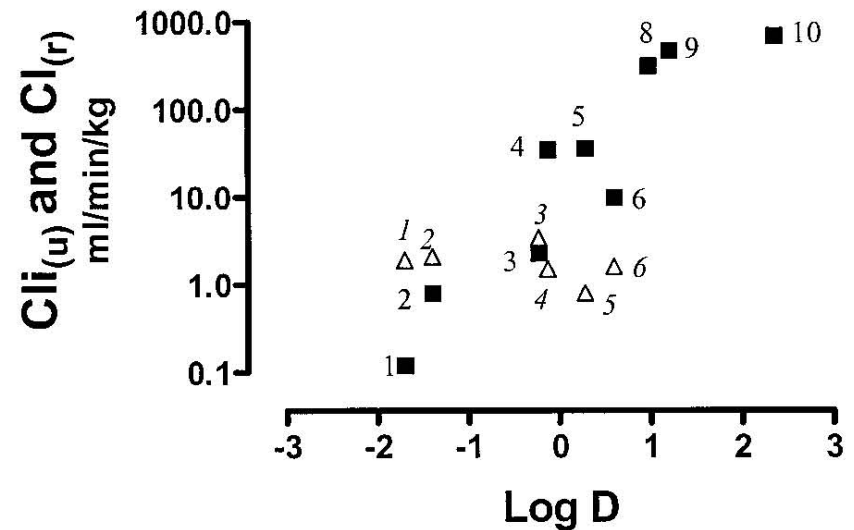
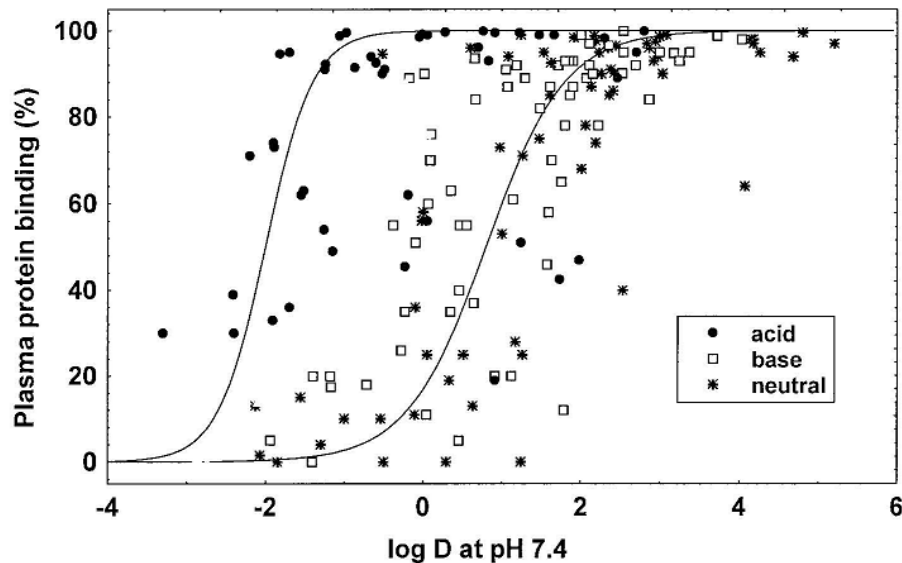
A Conundrum Wrapped up in a Riddle

Why is the literature replete with approaches that target lower plasma protein binding?



The Paradox:

The tactics to modulate fraction unbound are the same as those to modulate unbound intrinsic clearance



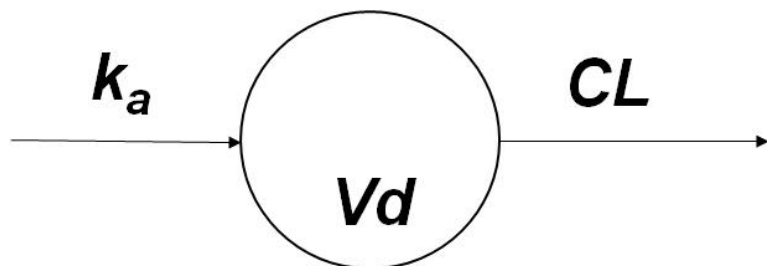
A strategy to lower plasma protein binding by lowering $\log D_{(7.4)}$ may appear to improve dose.....

..... but only by lowering unbound intrinsic clearance!!



Unless we want to make life complicated!

Compartmental Model:



Target Exposure:

5nM as $C_{u,ss,max}$, $C_{u,ss,min}$ or $C_{u,ss,avg}$

Primary parameters:

f_u : 0.01 - 1

CL_{int} : 1 - 100,000 ml/min/kg

$f_a=1$

$\tau=24$ hrs

$k_a=1.8$ hr⁻¹

$f_{u,tissue}=0.01$

$V_c = 0.2$ L/kg (extracellular fluid)

$V_t = 0.4$ L/kg (intracellular fluid)

Secondary parameters:

$V_d = 0.6 - 40$ L/kg

CL : 0.01 - 19.996 ml/min/kg

$t_{1/2}$: 1 - 800 hr

Physiological Parameter Models:

$$CL = \frac{Q_h \times CL_{int} \times f_{u,plasma}}{Q_h + CL_{int} \times f_{u,plasma}} \quad \text{or} \quad GFR \times f_{u,plasma}$$

$$V_d = V_c + V_t \left(\frac{f_{u,plasma}}{f_{u,tissue}} \right)$$

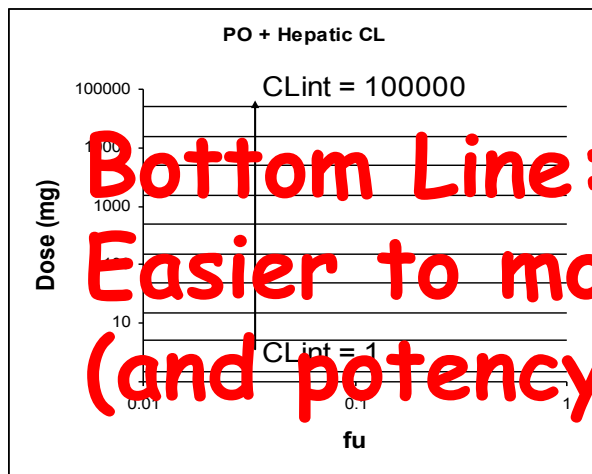
$$F = f_a \times \left(1 - \frac{CL_h}{Q_h} \right)$$



Dose to Achieve Target Cav

$$\text{Dose} = \frac{C_{ss, avg} \cdot CL \cdot \tau}{F}$$

Hepatic / PO



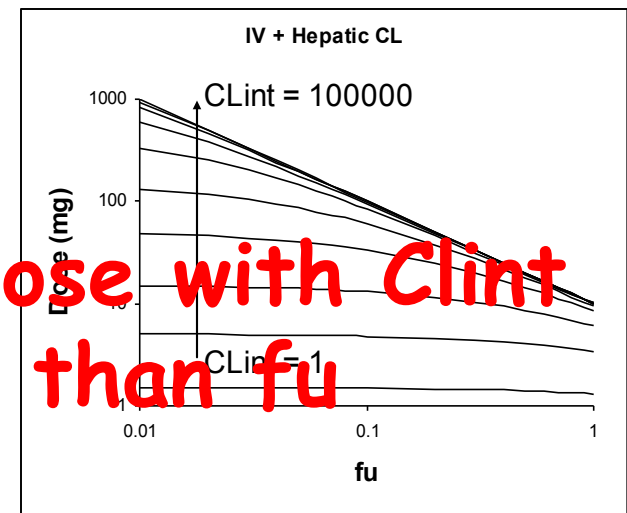
Bottom Line:
Easier to modulate dose with CL_{int}
(and potency) rather than fu

As fu ↑ C_{ss,av} ↓ but
is offset by CL ↑ and F ↓

Overall, dose is independent of fu

$$\text{Dose} = \frac{C_{ss, avg} \cdot CL \cdot \tau}{1}$$

Hepatic / IV



As fu ↑ C_{ss,av} ↓ but
is only partially offset
by CL ↑

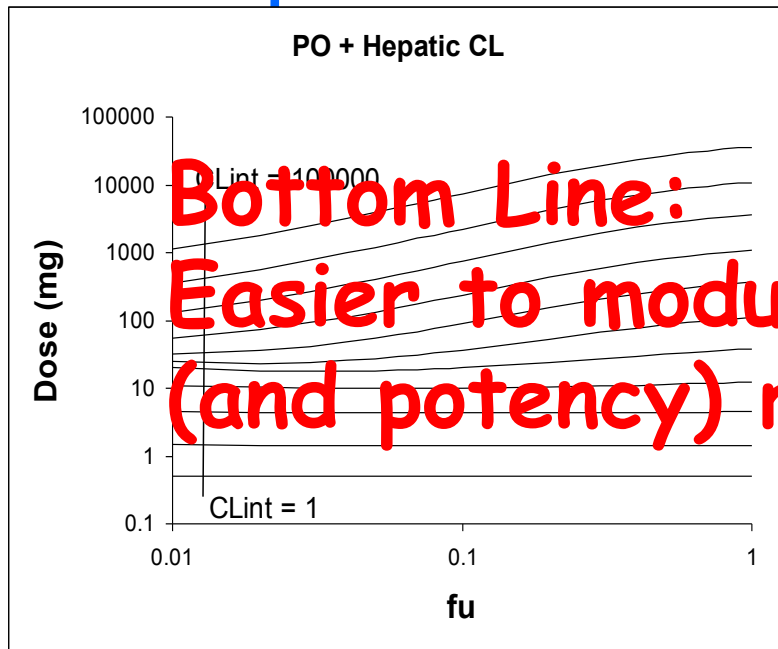
Effect is only seen at high
values of intrinsic clearance



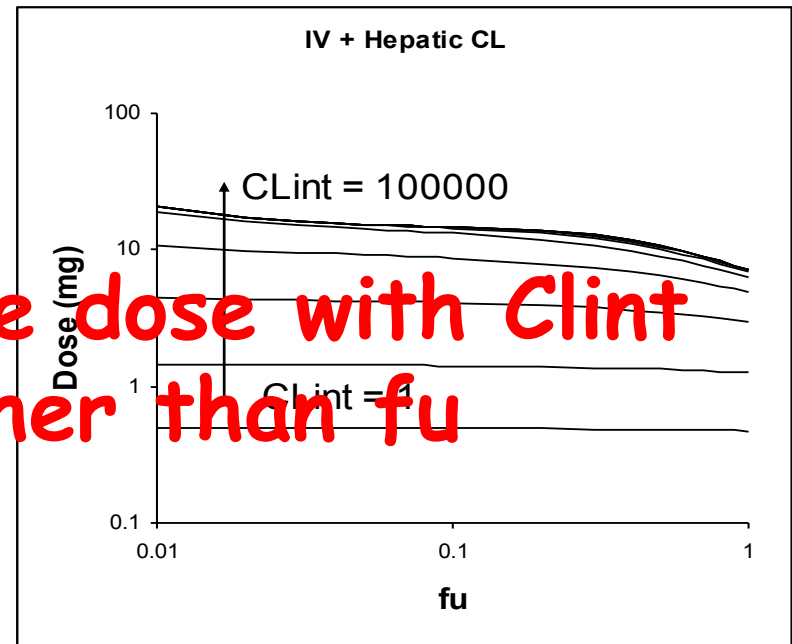
Dose to Achieve Target Cmax

$$\text{Dose} = \frac{C_{\text{max}}}{F} \times V_d \times (1 - e^{-k_{\text{el}} \times \tau}) \times e^{k_{\text{el}} \times t_{\text{max}}}$$

Hepatic / PO



Hepatic / IV



As f_u \uparrow V_d and Cl \uparrow but C_{max} and F \downarrow
 Increased dose requirements
 only observed at high Cl_{int}

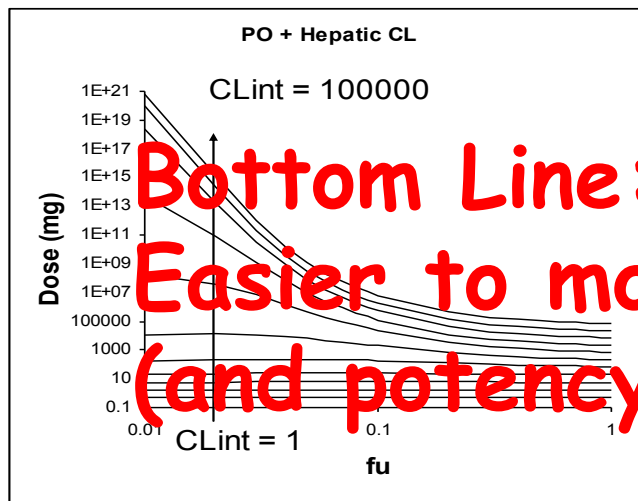
As f_u \uparrow V_d and Cl \uparrow but C_{max} \downarrow
 Decreased dose requirements
 with f_u only observed at high Cl_{int}

due to nonlinear effects on Cl and F

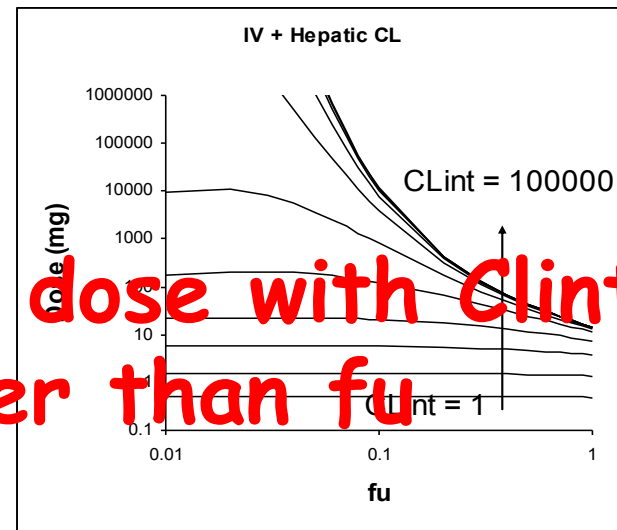
Dose to Achieve Target Cmin

$$\text{Dose} = \frac{C_{\text{min}} \cdot V_d \cdot (k_{\text{el}} - k_a) \cdot (1 - e^{-k_{\text{el}} \times \tau})}{F \times k_a \times (e^{-k_a \times \tau} - e^{-k_{\text{el}} \times \tau})}$$

Hepatic / PO



Hepatic / IV



Increasing f_u , affects parameters the same way leading to a decrease in dose, but in a way that is nonlinearly related to CL_{int} with a impact only at higher values of CL_{int} and very high doses

With loss of F , the effect is less pronounced, but still evident at high CL_{int} values



Plasma Protein Binding is a Neutral Parameter

Plasma protein binding is a key parameter to measure

Important to unmask free concentration

Important in PK and dose prediction

Plasma protein binding is **not** a key parameter to modulate

Neutral on free concentration

Unless you want to make it complicated!

Neutral on half-life*

Neutral on dose

**Bottom Line:
Easier to modulate dose with Cl_{int}
(and potency) rather than f_u**

Exception is when V_d is fixed to blood volume*



Summary and Recommendation

The next time your Discovery colleagues want to lower ppb.....

.....ask them to consider:

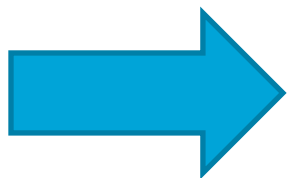
Dose route (iv or po)

In Vitro potency

Target (C_{av} , C_{max} or C_{min})

Clearance route (hepatic metabolic or renal)

Clintu



Keep calm and carry on!



Acknowledgements

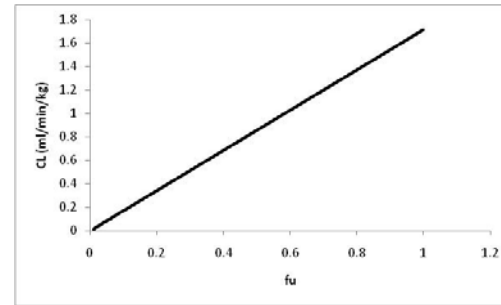
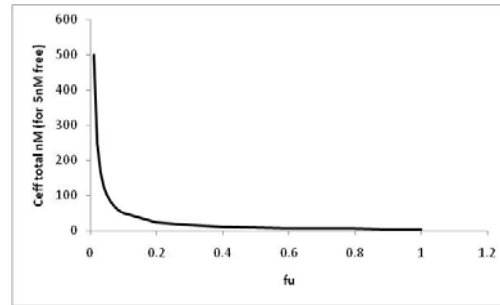
Dennis Smith
Li Di
Don Walker
Tristan Maurer



Back Ups

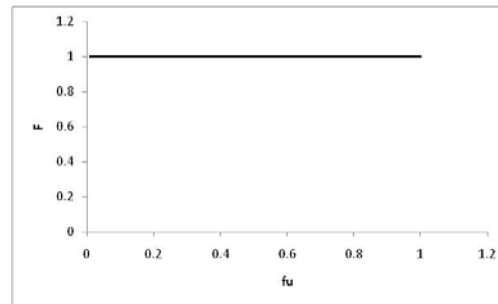


Dose to Achieve Target Cav

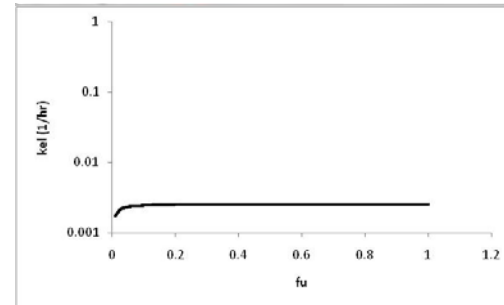
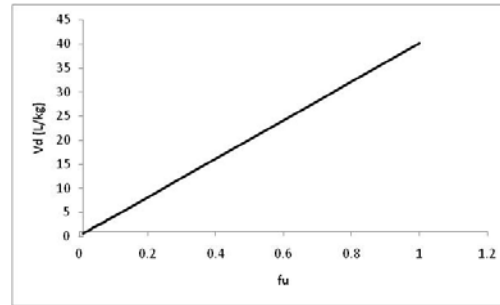
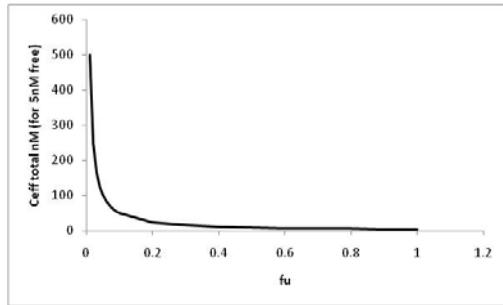


$$\frac{\text{Dose}}{\tau} = \frac{C_{ss,avg} \cdot CL}{F}$$

Renal PO

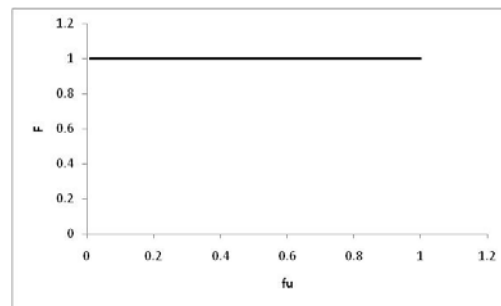


Dose to Achieve Target Cmax

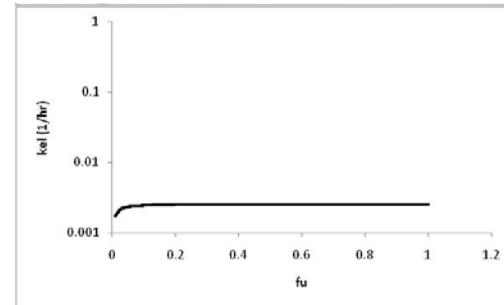
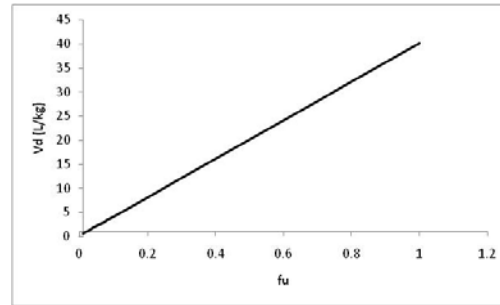
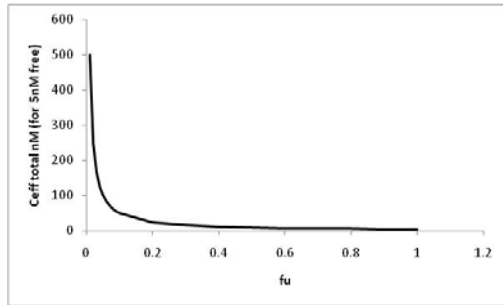


$$\text{Dose} = \frac{C_{\text{max}}}{F} \times V_d \times (1 - e^{-k_{\text{el}} \times \tau}) \times e^{k_{\text{el}} \times t_{\text{max}}}$$

Renal PO



Dose to Achieve Target Cmin



$$\text{Dose} = \frac{\text{Cmin} \cdot \text{Vd} \cdot (k_{el} - k_a) \cdot (1 - e^{-k_{el} \times \tau})}{F \times k_a \times (e^{-k_a \times \tau} - e^{-k_{el} \times \tau})}$$

Renal PO

